

Breusch-Pagan-Godfrey Test

Heteroscedastic data.

The Breusch-Pagan-Godfrey Test (sometimes shorted to the Breusch-Pagan test) is a test for heteroscedasticity of errors in regression. Heteroscedasticity means “differently scattered”; this is opposite to [homoscedastic](#), which means “same scatter.” Homoscedasticity in regression is an important assumption; if the assumption is violated, you won’t be able to use regression analysis.

Running the Test

The [test statistic](#) for the Breusch-Pagan-Godfrey test is:

$N * R^2$ (with k [degrees of freedom](#))

Where:

- n = [sample size](#)
- R^2 = R^2 ([Coefficient of Determination](#)) of the regression of squared [residuals](#) from the original regression.
- k = number of [independent variables](#).

The test statistic approximately follows a [chi-square distribution](#).

- The [null hypothesis](#) for this test is that the error variances are all equal.
- The [alternate hypothesis](#) is that the error variances are *not* equal. More specifically, as Y increases, the variances increase (or decrease).

A small chi-square value (along with an associated small [p-value](#)) indicates the null hypothesis is true (i.e. that the variances are all equal).

Note that the Breusch-Pagan test measures how errors increase across the [explanatory variable](#), Y . The test assumes the error variances are due to a [linear function](#) of one or more explanatory variables in the model. That means heteroskedasticity could still be present in your regression model, but those errors (if present) are not correlated with the Y -values.

If you suspect that a small subset of values is causing heteroskedasticity, you can run a modified Breusch-Pagan test on those values alone.

Caution: Some authors (including Bickel(1978) and Koenker(1981) have suggested the Breusch-Pagan-Godfrey test statistic may not be accurate for non-normal data.